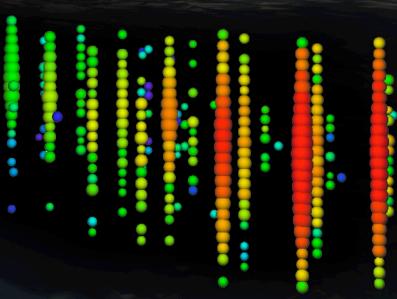
# **Optical Counterparts to High-Energy Neutrinos**

Anna Franckowiak for the neutrino counterpart group



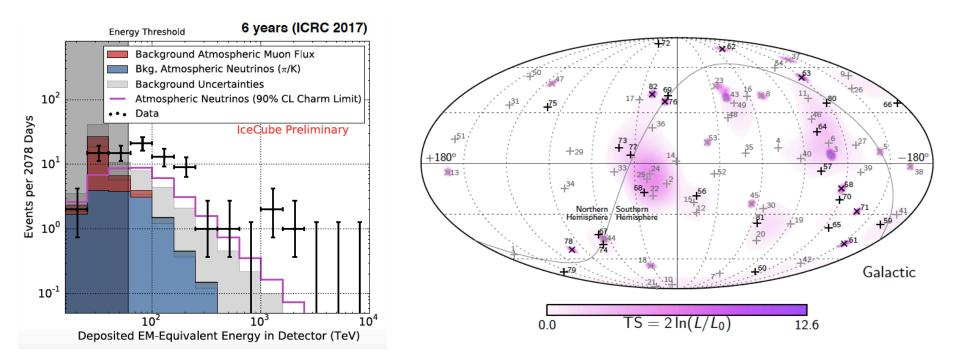
#### HELMHOLTZ Young Investigators

ZTF Collaboration Meeting, Stockholm, Aug. 6, 2018

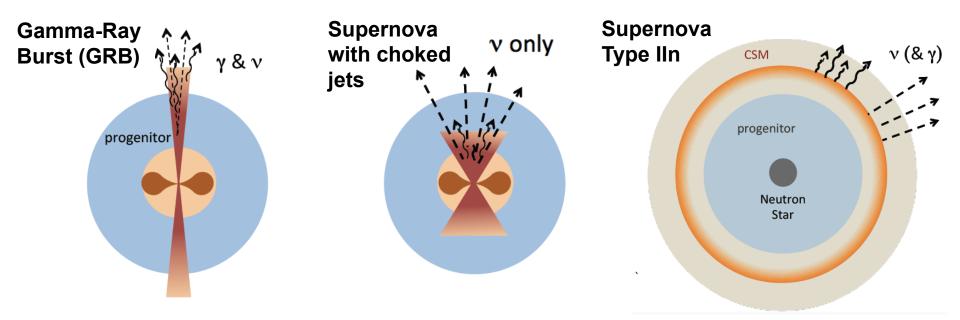


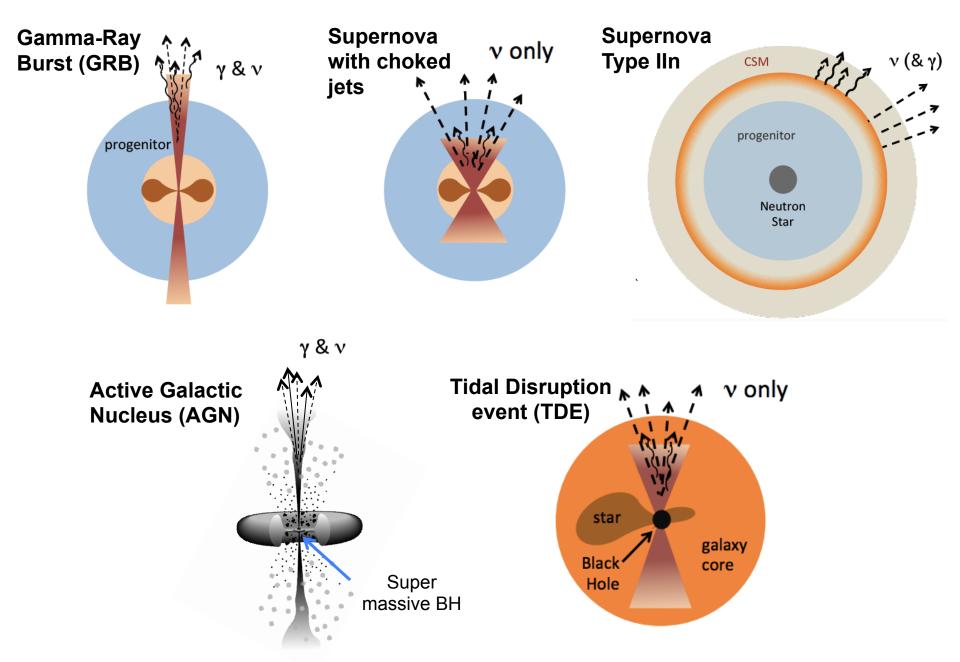
#### **Science Motivation**

#### **Detection of diffuse flux of cosmic neutrinos**

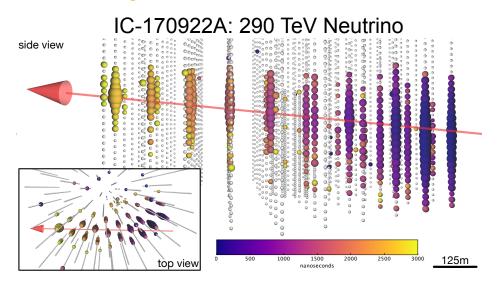


No clustering around Galactic Plane  $\rightarrow$  Extragalactic origin

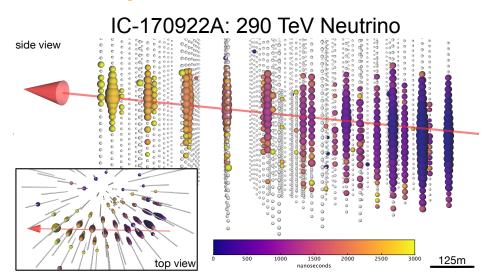


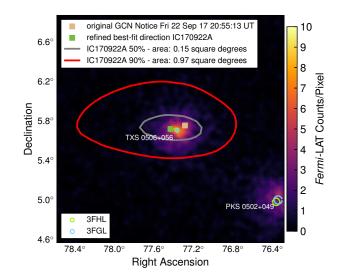


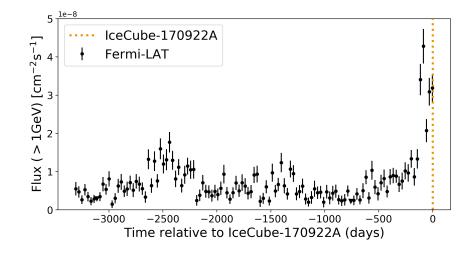
Gamma-ray Blazar TXS 0506+056



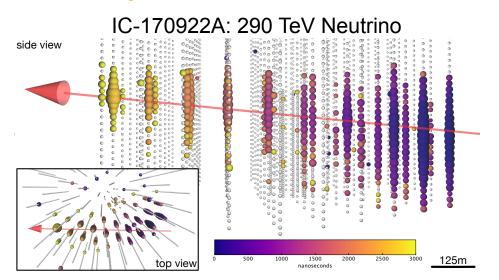
Gamma-ray Blazar TXS 0506+056

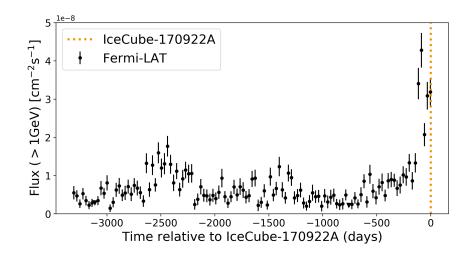


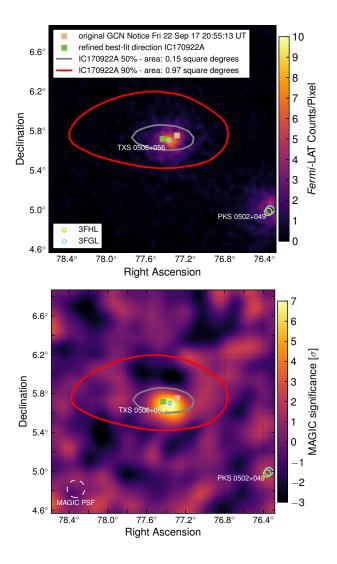




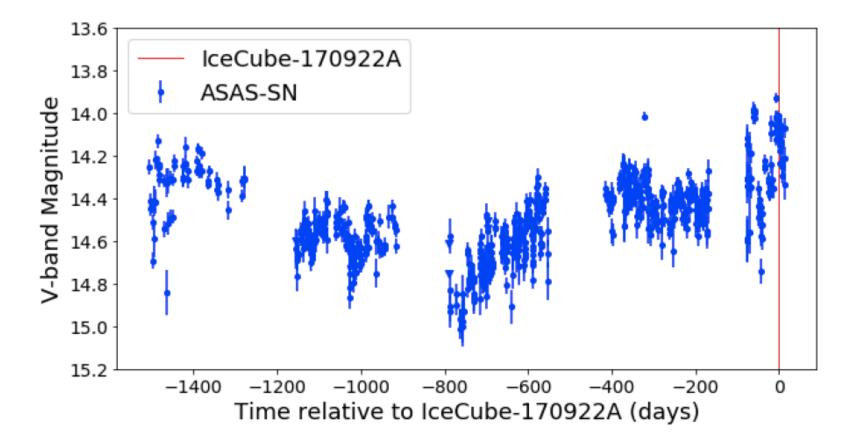
Gamma-ray Blazar TXS 0506+056



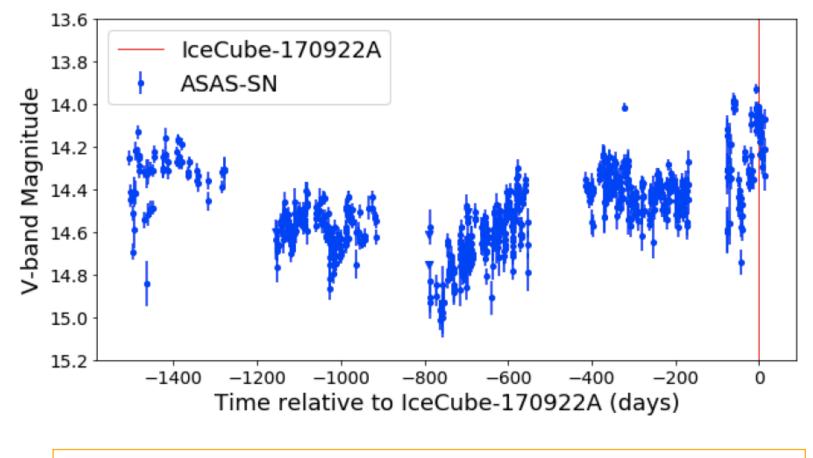




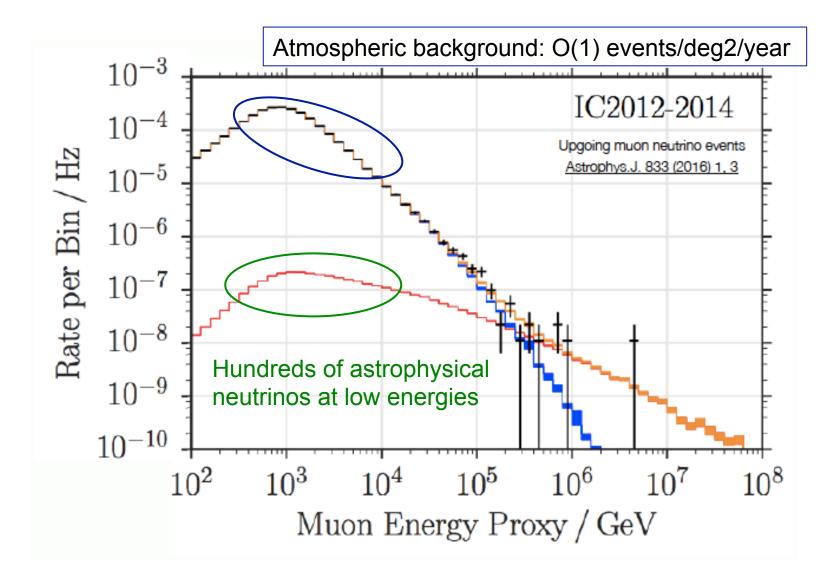
#### Gamma-ray Blazar TXS 0506+056

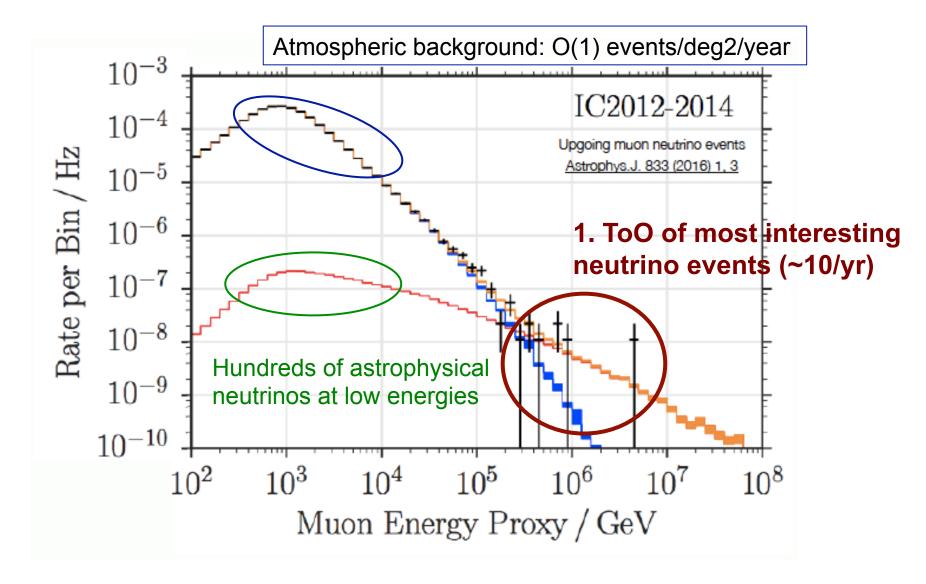


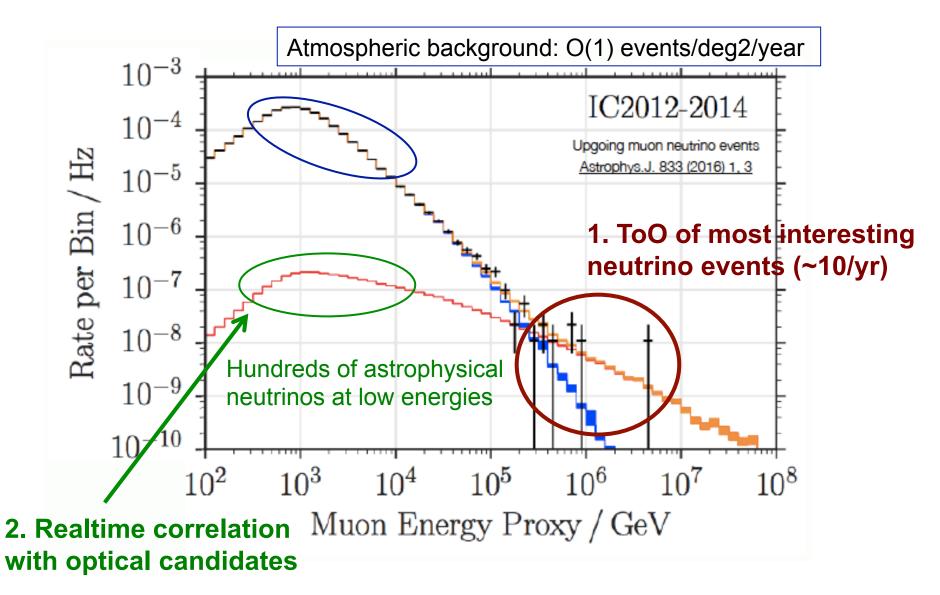
#### Gamma-ray Blazar TXS 0506+056



BUT (from blazar stacking analysis) gamma-ray blazars can produce only ~10% the diffuse neutrino flux







# **1. ToO of interesting neutrinos**

#### High-energy (>100TeV) single events (~8/year)

 High-energy starting track event on April 23: was identified as background and retracted → no follow-up

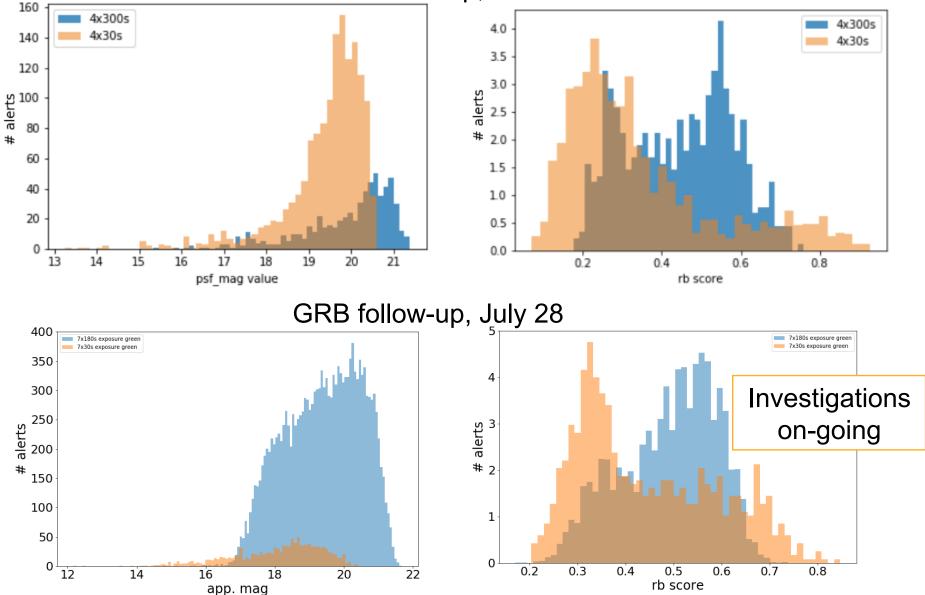
#### • Multiplets: ≥2 neutrinos within 100sec (~6/year)

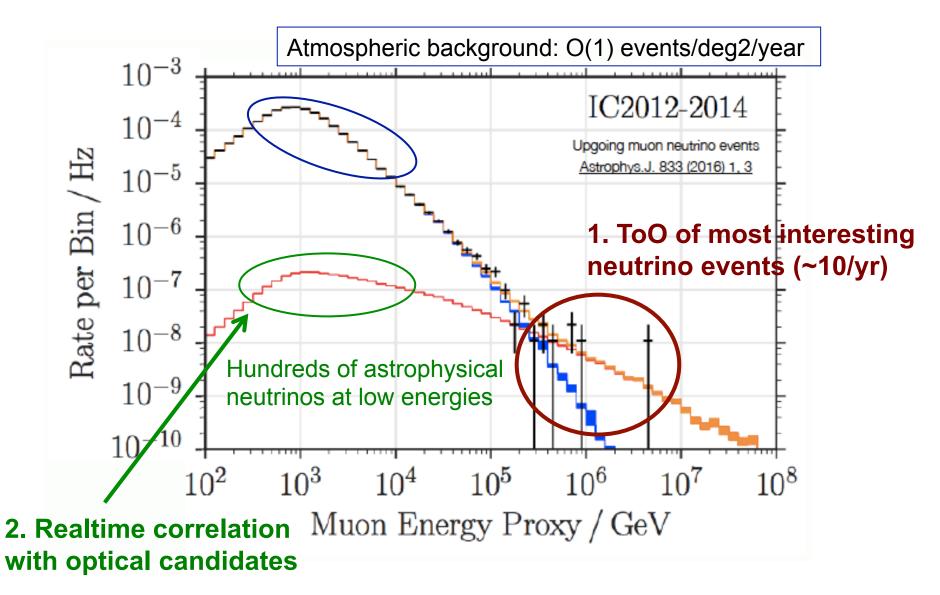
- Doublet on June 11, two ~1TeV events, 0.3 sec and 3 deg apart
- ZTF observations on June 12 and 13, two 300 sec images each night (manually added to scheduler, in the future done by follow-up marshal)
- Cone search for candidate with AMPEL, can go back in time and stay active for a given time period

#### **Problem of long exposures**

Checks done by Ludwig Rauch





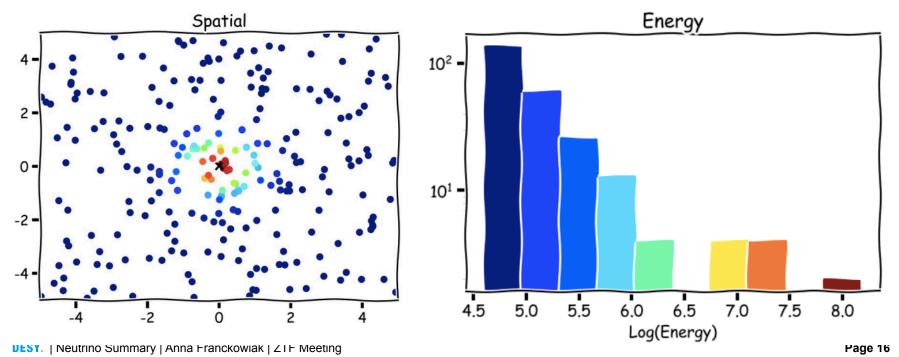


# 2. Realtime correlation



- Neutrino stream from IceCube to AMPEL (~100 per day)
- For each optical transient look for neutrinos coincident in space and time → calculate test statistic (TS)

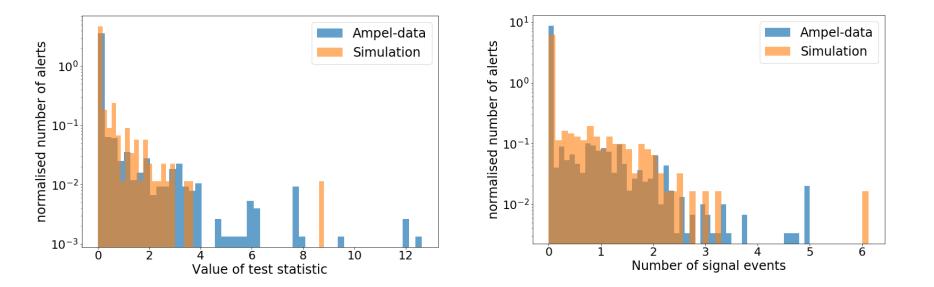
$$TS = -2\log\frac{\mathcal{L}(ns)}{\mathcal{L}(ns=0)} = -2\sum_{i=0}^{N}\log\left(1 + \frac{ns}{N}\left(\frac{\mathcal{S}}{\mathcal{B}} - 1\right)\right)$$



### 2. Realtime correlation



- Neutrino stream from IceCube to AMPEL (~100 per day)
- For each optical transient look for neutrinos coincident in space and time → calculate *test statistic (TS)*
- First tests of TS distribution of real candidates compared to simulation



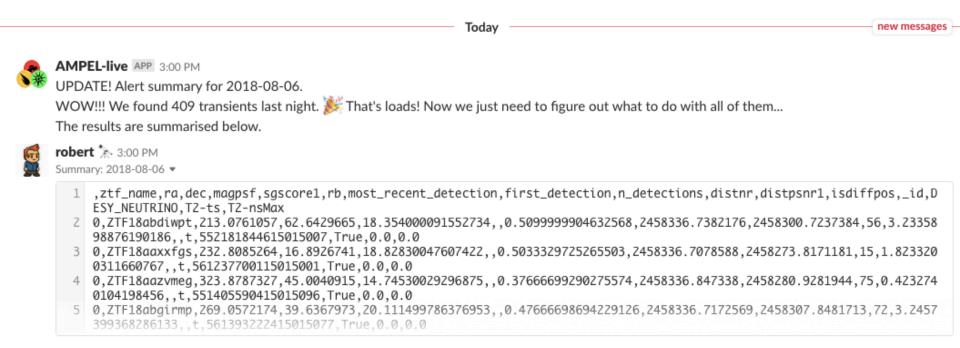
# 2. Realtime correlation

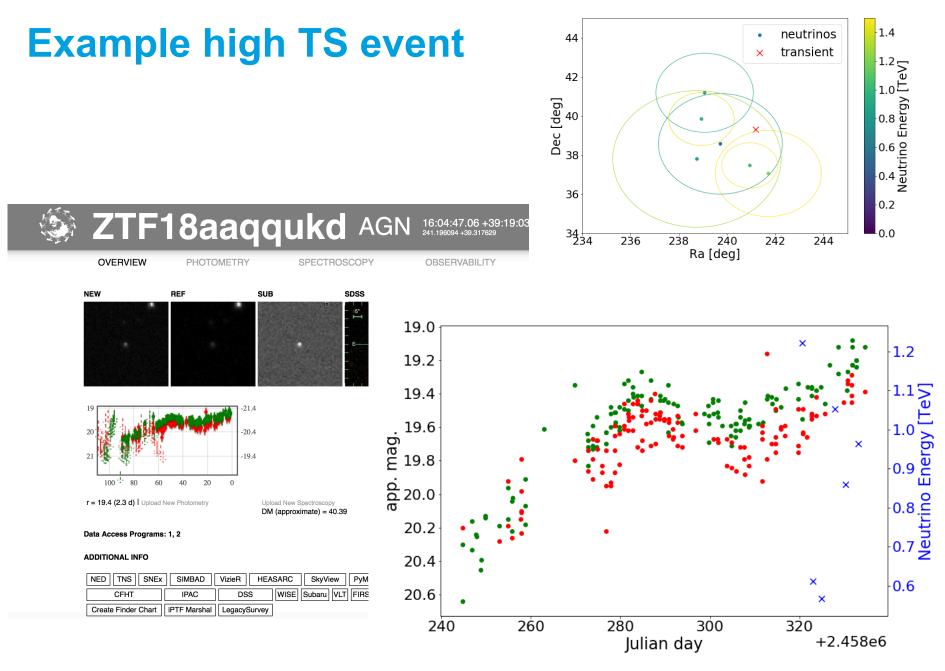


- Neutrino stream from IceCube to AMPEL (~100 per day)
- For each optical transient look for neutrinos coincident in space and time → calculate *test statistic (TS)*
- First tests of TS distribution of real candidates compared to simulation
- Transients reaching TS threshold can be pushed to GROWTH marshal
- Summary is sent to SLACK every day
- High TS candidates will be scheduled for spectroscopic follow-up
- Classified objects will be used in a neutrino stacking analysis to be sensitive to a weak signal from a source population.

# **SLACK Summary Example**







#### **Summary**

- Two searches for neutrino counterparts in place
  - 1. ToO triggered by most interesting neutrinos
    - Successfully observed neutrino position, no interesting candidates found
  - 2. Search for clusters of low-energy neutrinos in spatial and temporal coincidence with optical transients
    - Real-time neutrino stream injected to AMPEL, real-time correlation in place
    - Currently in *commissioning phase* to adjust TS threshold
- Next Steps
  - Report to IceCube collaboration after commissioning phase
  - Include dedicated monitoring of predefined promising source lists (e.g. Fermi blazars)



$$\mathcal{L} = \prod_{i=1}^{N} \frac{N_s}{N} \mathcal{S} + (1 - \frac{N_s}{N}) \mathcal{B}$$
$$\mathcal{S}(E_{\nu}, \Delta T, \Delta \Psi, \sigma) = P_{\text{sig}}^{\text{space}}(\Delta \Psi, \sigma) P_{\text{sig}}^E(E_{\nu}) P^T(\Delta T)$$
$$\mathcal{B}(E_{\nu}, \Delta T, \Delta \Psi) = P_{\text{BG}}^{\text{space}} P_{\text{BG}}^E(E_{\nu}) P^T(\Delta T)$$

Space term

$$\mathcal{P}_{\rm sig}^{\rm space} = \frac{1}{2\pi\sigma^2} e^{(\Delta\Psi)^2/(2\sigma^2)}$$
$$\mathcal{P}_{\rm BG}^{\rm space} = \frac{\mathcal{P}(\sin\theta)}{2\pi}$$

Energy term

$$\mathcal{P}_{\rm sig}^E = \epsilon_{\rm sig}(E,\theta,\gamma)$$
$$\mathcal{P}_{\rm BG}^E = \epsilon_{\rm BG}(E,\theta)$$

$$P^T = Box(t_{start}, t_{end})$$